

⌈ Comment on "by our general method".

$\int_{W'} d\varphi = 0$ , since  $W' - W'^*$  has real codimension  $\geq 2$ . We can show this by following the proof of Stokes' Theorem for Analytic Varieties on P33.  $\Downarrow$

Finally, since  $W'$  meets  $V$  transversely in  $m_{p_i}(V \cdot W)$  points in  $\Delta_i$  — where  $W'$  and  $V$  are both analytic with the natural orientation — and nowhere else,

$$\#(W \cdot V) = \#(W' \cdot V) = \sum m_{p_i}(V \cdot W)$$

as desired.

Summarizing,

The topological intersection number  $\#(V \cdot W)$  of two analytic subvarieties of complementary dimension meeting in a finite set of points on a compact complex manifold is given by

$$\#(V \cdot W) = \sum_{p \in V \cap W} m_p(V \cdot W).$$

⌈ We may have to accept  $\#(W \cdot V) = \#(W' \cdot V)$  as a definition.  $\Downarrow$

The intersection multiplicity  $m_p(V \cdot W)$  satisfies

$$m_p(V \cdot W) \geq 1$$

with equality holding if and only if  $V$  and  $W$  meet tra