NO.

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is impossible, since P_L is smooth of C_L by P794. Thus we can conclude that $j : B_L \longrightarrow C_L$ is one to one except at q.

It follows from this that $B_L - \{L\}$ is closed, and hence that

$$L \notin B_L$$

for L a nonspecial line.

Here L and $L' = \iota'(L)$ must be nonspecial, since the results above were proved under these conditions. This is not correct!!! See P991 back page note.

This, finally, gives us the means to describe the divisor $D \subset A$ of special lines on X. Let

$$\tilde{D}' = \{ L \in A : L \in B_L \}.$$

Then we have

$$\begin{aligned} \tilde{D}' &= \{ L : L \in B_{L_0} - L \} \\ &= \{ L : 2L \in B_{L_0} \} \\ &= m_2^* B_{L_0}. \end{aligned}$$

where $m_2 : A \longrightarrow A$ is the map multiplication by two.

$L_0 = \iota'(L_0)$.