

② Since differential forms are tensors, we have only to consider <sup>them</sup> over an open set, i.e. we have only to compute them locally.  $\Rightarrow$  We may choose small open set to deal with differential forms.

③ If we choose  $f'_0, f'$  nonvanishing over  $U$ , then we have  $d \frac{f}{f'}$  instead of  $df$ .

$$d \frac{f}{f'} = \frac{1}{f'} df.$$

$$\Rightarrow \omega = g(z) dz_1 \wedge \dots \wedge dz_n \otimes f'_0 \quad \begin{array}{l} \nearrow \text{some sort of inverse operation of} \\ \text{wedge product} \end{array}$$

$$\quad \quad \quad \updownarrow \otimes f f'_0$$

$$\frac{g(z) dz_1 \wedge \dots \wedge dz_n}{f(z)}$$

$$\frac{g(z) dz_1 \wedge \dots \wedge dz_n}{f(z)} = \frac{df}{f} \wedge \quad \omega' = \frac{d \frac{f}{f'}}{\frac{f}{f'}} \wedge \omega'$$