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$$= (z_i^{m_0} \cdot z_i^{-m_0} \sum_{n \in \mathbb{Z}_{m_0}} \tilde{f}_n(z))$$

$$= (z_i^{m_0}) + (z_i^{-m_0} \sum_{n \geq m_0} \tilde{f}_n(z)) = m_0 E + V$$

$\Rightarrow$  Since  $m_0 = \text{mult}_p(V) = \text{ord}_E(\pi^*V)$ ,  $\tilde{V} = (\tilde{z}_i^{-m_0} \tilde{f})$

According to p175~p176, the tangent cone to  $V$  at  $p$  is given by

$$T'_p(V) = \left( \sum_{|a|=1} c_a z_1^{a_1} \dots z_n^{a_n} = 0 \right), \longleftrightarrow \left\{ \sum c_i \frac{\partial}{\partial z_i} \mid \sum_{|a|=1} c_a \alpha_1^{a_1} \dots \alpha_n^{a_n} = 0 \right\} \quad (p.22)$$

The projective cone of  $V$  at  $p \in V$  is 
$$C_p(V) = \left\{ \sum_{i=0}^n c_i \left( \frac{z_i}{z_0} \right)^{a_i} \dots \left( \frac{z_n}{z_0} \right)^{a_n} = 0 \right\} = \mathbb{P}(T'_p(V))$$

$$E \longleftrightarrow P(T'_p(M)) \Rightarrow E \cap \tilde{V} = \{ \ell \} \longleftrightarrow [ \ell_i \frac{\partial}{\partial z_i} ]$$

$$\ell \longmapsto [ \ell_i \frac{\partial}{\partial z_i} ] \quad 0 = \sum_{k=1}^n c_k \ell_i^{q_i} \dots \ell_n^{q_n} ]$$

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